

Abstract:

Fermat's Last Theorem tells us that for ($n > 2$), there are no positive integers (a, b, c) such that: $a^n + b^n = c^n$. This paper proposes an alternative perspective to the equation with considerations of using the signs of + and -. The aim of this novel approach is help; simplify the equations when it has cases where n is raised to the power of 3 and 4 which makes it harder for both numbers to be the same, where it is hard to find the solutions. However, with plus 1 and minus, could offer fresh start into finding solutions involving, raising to the power of 3, 4 and 5.

Example:

$$N=3 \quad A^3+B^3+1 \text{ or } -1 = C^3$$

$$6^3+8^3 = 216 + 512 = 728$$

$$9^3 = 729 + 728 + 1 = \text{to be the same } 729 \text{ are both equally the same } 729$$

Example:

$$N=4 \quad A^4+B^4=c^4 + 1 \text{ or } -1$$

$$12^4+15^4 = 20,736 + 50,625 = 71,361$$

$$16^4= 71,360 +1 = 71,361 \text{ equally the same as for both } a \text{ and } b$$

Conclusion: Pierre De Fermat equation has been declared to be complicated as raising the power increases, however, using plus 1 and minus 1, could give shortcuts to making the solutions equally to each other.

I have discovered a truly marvellous proof of this, which however the margin is not large enough to contain. Pierre De Fermat